



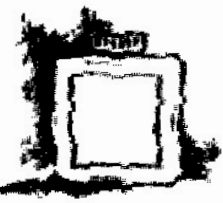





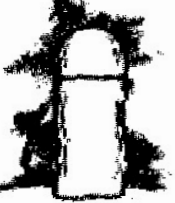

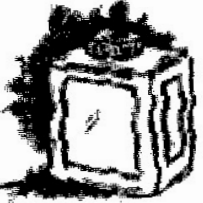




Exercise 10.1

Question 1:

For each of the given solid, the two views are given. Match for each solid the corresponding top and front views. The first one is done for you.

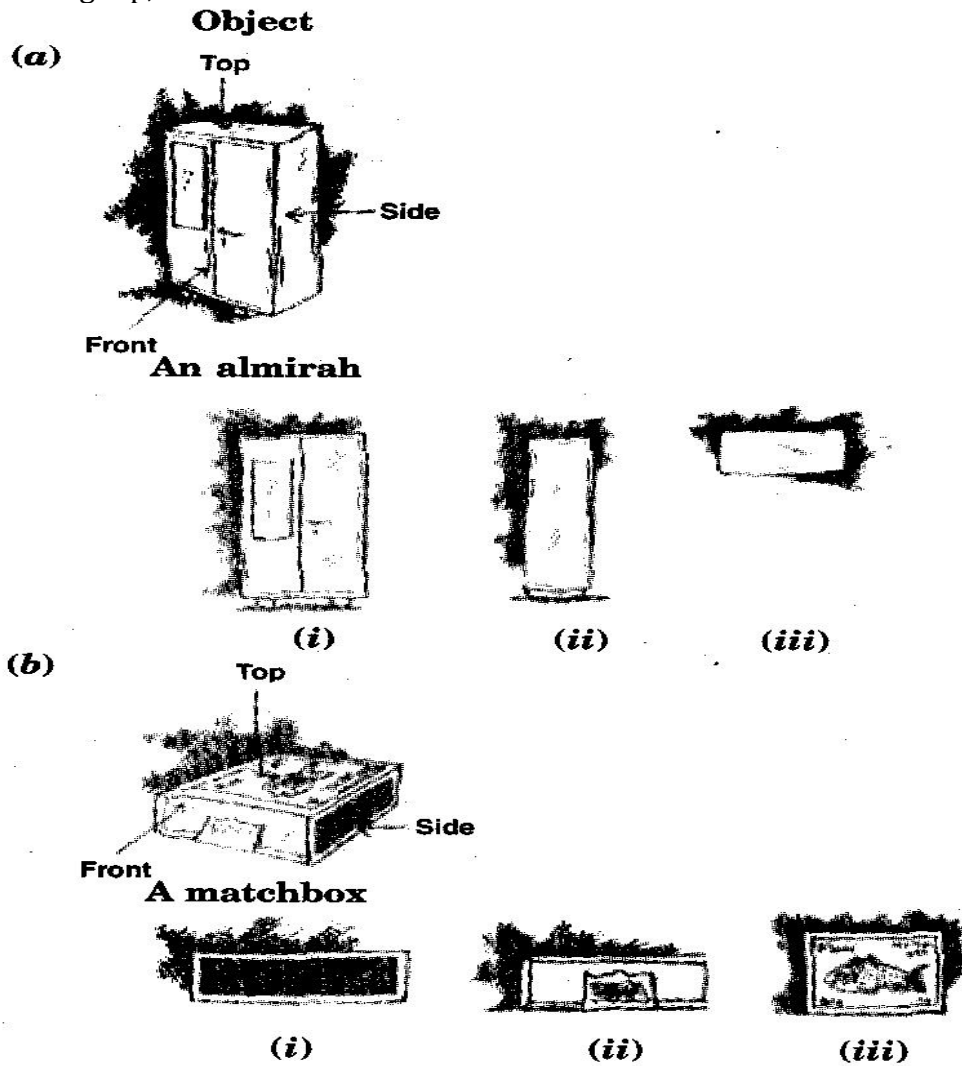
Object	Side view	Top view
(a)  A bottle	(i) 	(i) 
(b)  A weight	(ii) 	(ii) 
(c)  A flask	(iii) 	(iii) 
(d)  Cup and Saucer	(iv) 	(iv) 
(e)  Container	(v) 	(v) 

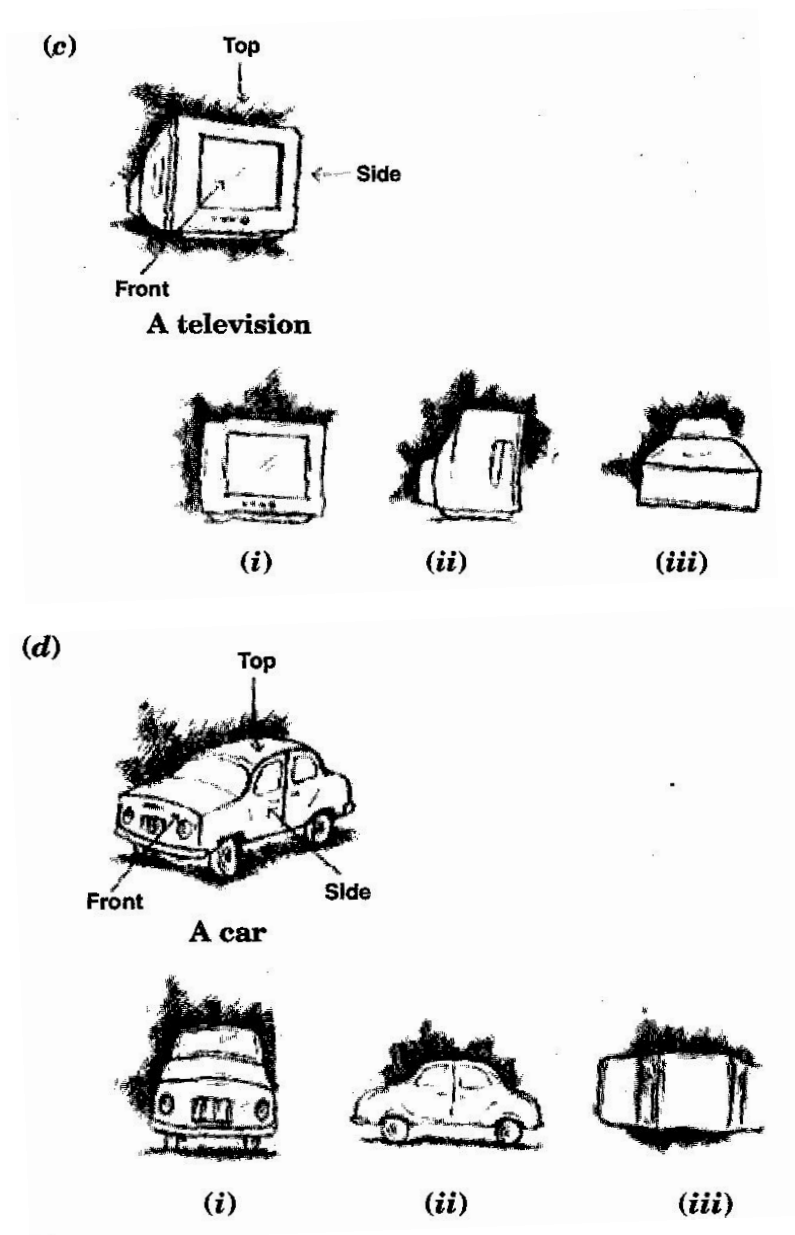
 **Answer 1:**

- (a) → (iii) → (iv)
- (b) → (i) → (v)
- (c) → (iv) → (ii)
- (d) → (v) → (iii)
- (e) → (ii) → (i)

Question 2:

For each of the given solid, the three views are given. Identify for each solid the corresponding top, front and side views.



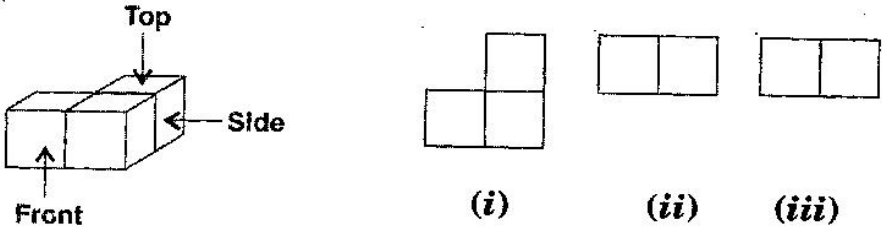


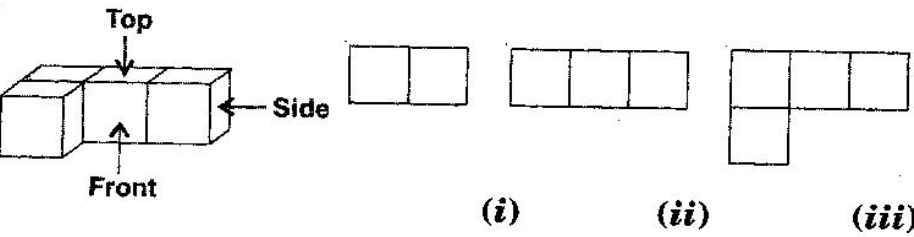
Answer 2:

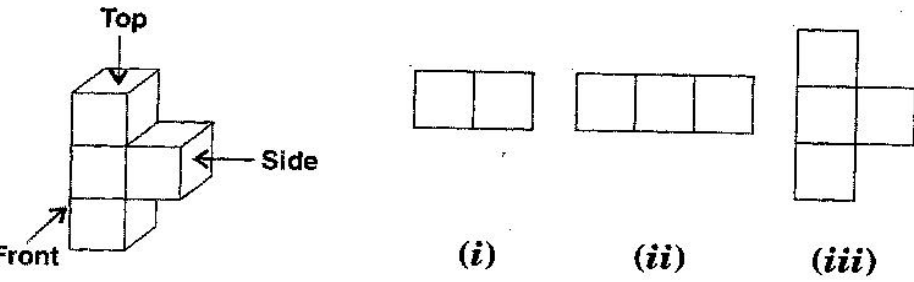
- (a) → (i) → Front (ii) → Side (iii) → Top view
 (b) → (i) → Side (ii) → Front (iii) → Top view
 (c) → (i) → Front (ii) → Side (iii) → Top view
 (d) → (i) → Front (ii) → Side (iii) → Top view

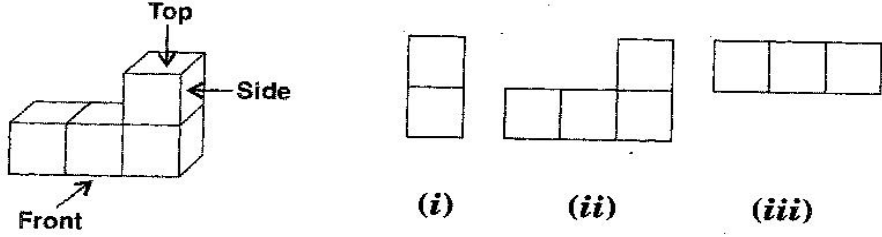
Question 3:

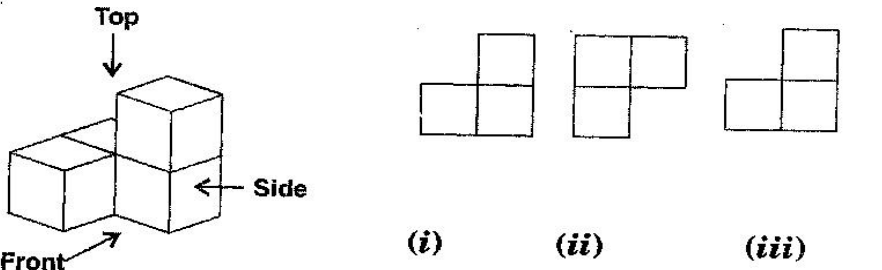
For each given solid, identify the top view, front view and side view.

(a)  A 3D solid made of four cubes. The front row has three cubes, and the back row has one cube on the right. Labels: Top (down), Side (left), Front (up). Views: (i) Top view: a 2x2 grid with the top-right square missing. (ii) Front view: a horizontal row of three squares. (iii) Side view: a horizontal row of two squares.

(b)  A 3D solid made of five cubes. The front row has three cubes, and the back row has two cubes on the left. Labels: Top (down), Side (left), Front (up). Views: (i) Top view: a horizontal row of three squares. (ii) Front view: a horizontal row of four squares. (iii) Side view: a horizontal row of three squares with one square below the first square.

(c)  A 3D solid made of six cubes. The front row has three cubes, the middle row has two cubes on the right, and the back row has one cube on the left. Labels: Top (down), Side (left), Front (up). Views: (i) Top view: a horizontal row of three squares. (ii) Front view: a horizontal row of four squares. (iii) Side view: a vertical column of three squares with one square to the right of the middle square.

(d)  A 3D solid made of five cubes. The front row has three cubes, and the back row has two cubes on the right. Labels: Top (down), Side (left), Front (up). Views: (i) Top view: a vertical column of two squares. (ii) Front view: a horizontal row of four squares with one square above the third square. (iii) Side view: a horizontal row of three squares.

(e)  A 3D solid made of five cubes. The front row has two cubes, and the back row has three cubes with the rightmost one being two cubes high. Labels: Top (down), Side (left), Front (up). Views: (i) Top view: a 2x2 grid with the top-right square missing. (ii) Front view: a horizontal row of three squares with one square above the second square. (iii) Side view: a horizontal row of two squares with one square above the second square.

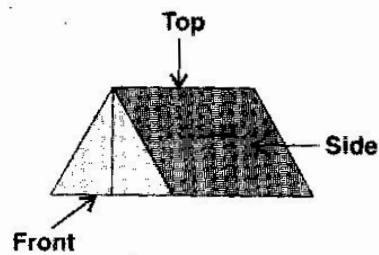
 **Answer 3:**

- (a) → (i) → Top view (ii) → Front view (iii) → Side view
(b) → (i) → Side view (ii) → Front view (iii) → Top view
(c) → (i) → Top view (ii) → Side view (iii) → Front view
(d) → (i) → Side view (ii) → Front view (iii) → Top view
(e) → (i) → Front view (ii) → Top view (iii) → Side view

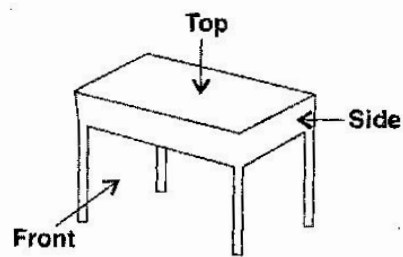
Question 4:

Draw the front view, side view and top view of the given objects:

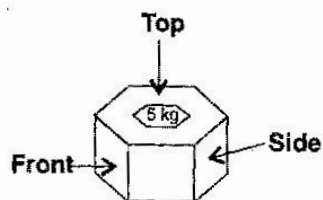
(a) A military tent



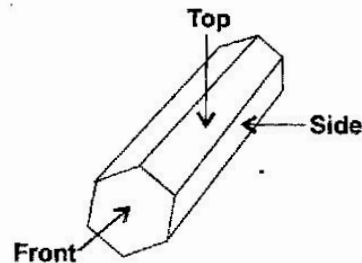
(b) A table



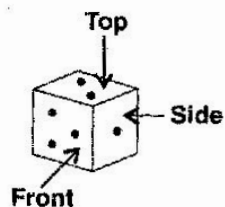
(c) A nut



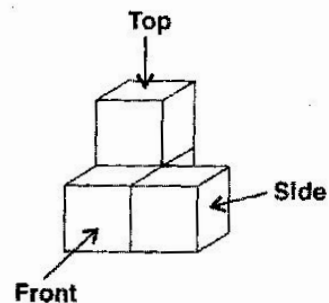
(d) A hexagonal block



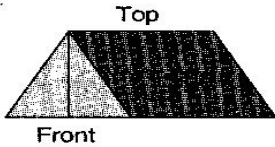
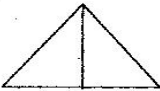

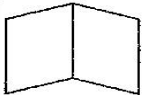
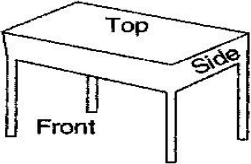



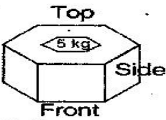



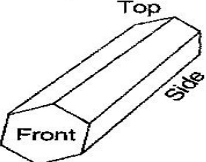
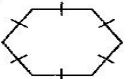
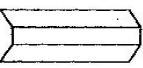
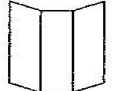
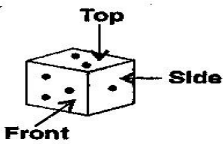
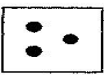
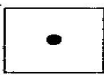
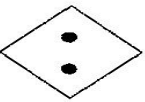
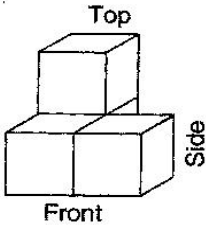
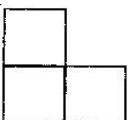


(e) A dice



(f) A solid



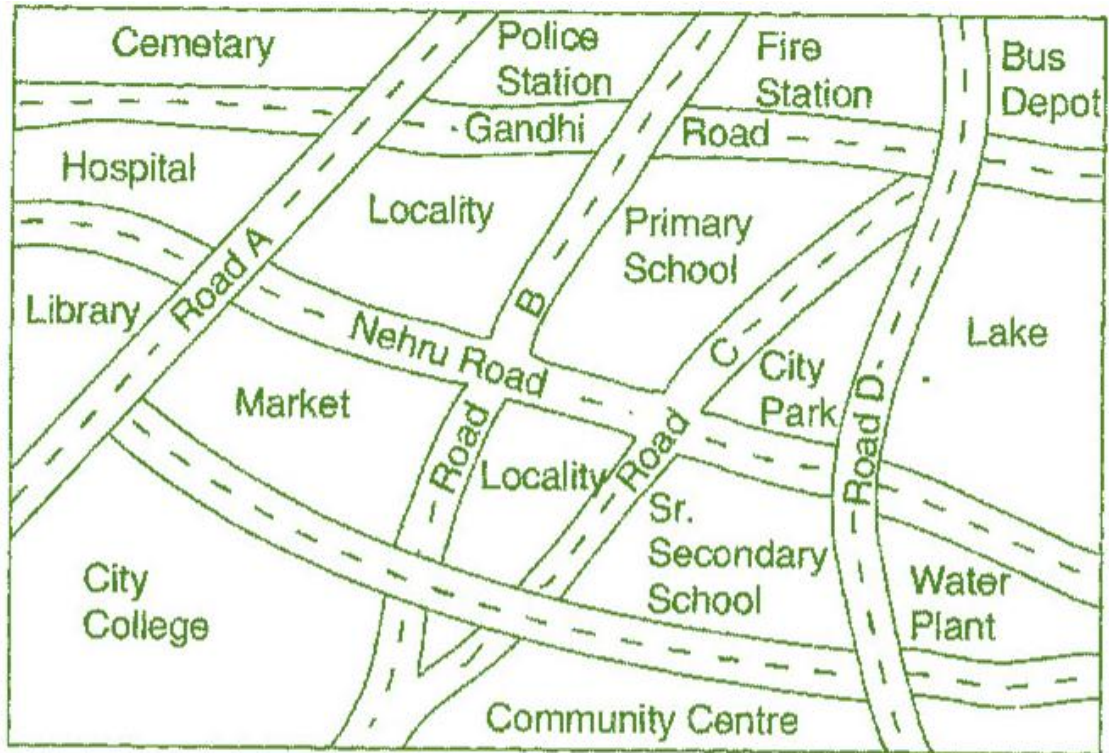
 **Answer 4:**

S. No.	Object	Front-view	Side-view	Top-view
(a)	A military tent 			
(b)	A table 			
S. No.	Object	Front-view	Side-view	Top-view
(c)	A nut 			
(d)	A hexagonal block 			
(e)	A dice 			
(f)	A solid 			

Exercise 10.2

Question 1:

Look at the given map of a city.



Answer the following:

- Colour the map as follows: Blue – water, Red – fire station, Orange – library, Yellow – schools, Green – park, Pink – college, Purple – hospital, Brown – Cemetery.
- Mark the green 'X' at the intersection of Road 'C' and Nehru Road, Green 'Y' at the intersection of Gandhi Road and Road 'A'.
- In red, draw a short street route from Library to the bus depot.
- Which is further east, the city park or the market?
- Which is further south, the Primary School or the Sr. Secondary School?

Answer 1:

This is a creativity, so do yourself.

Question 2:

Draw a map of your class room using proper scale and symbols for different objects.

 **Answer 2:**

Do yourself.

Question 3:

Draw a map of your school compound using proper scale and symbols for various features like playground, main building, garden etc.

 **Answer 3:**

Do yourself.

Question 4:

Draw a map giving instructions to your friend so that she reaches your house without any difficulty.

 **Answer 4:**

Do yourself.

Exercise 10.3

Question 1:

Can a polygon have for its faces:

- (i) 3 triangles (ii) 4 triangles (iii) a square and four triangles

Answer 1:

- (i) No, a polyhedron cannot have 3 triangles for its faces.
(ii) Yes, a polyhedron can have four triangles which is known as pyramid on triangular base.
(iii) Yes, a polyhedron has its faces a square and four triangles which makes a pyramid on square base.

Question 2:

Is it possible to have a polyhedron with any given number of faces? (Hint: Think of a pyramid)

Answer 2:

It is possible, only if the number of faces are greater than or equal to 4.

Question 3:

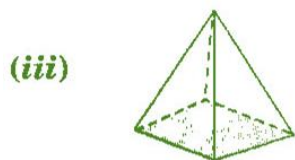
Which are prisms among the following:



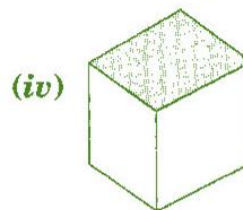
A nail



Unsharpened pencil



A table weight



A box

Answer 3:

Figure (ii) unsharpened pencil and figure (iv) a box are prisms.

Question 4:

- (i) How are prisms and cylinders alike?
- (ii) How are pyramids and cones alike?

Answer 4:

- (i) A prism becomes a cylinder as the number of sides of its base becomes larger and larger.
- (ii) A pyramid becomes a cone as the number of sides of its base becomes larger and larger.

Question 5:

Is a square prism same as a cube? Explain.

Answer 5:

No, it can be a cuboid also.

Question 6:

Verify Euler's formula for these solids.



Answer 6:

- (i) Here, figure (i) contains 7 faces, 10 vertices and 15 edges.
Using Euler's formula, we see $F + V - E = 2$
Putting $F = 7$, $V = 10$ and $E = 15$,
 $F + V - E = 2$
 $\Rightarrow 7 + 10 - 15 = 2$
 $\Rightarrow 17 - 15 = 2$
 $\Rightarrow 2 = 2$
 $\Rightarrow \text{L.H.S.} = \text{R.H.S.}$
- (ii) Here, figure (ii) contains 9 faces, 9 vertices and 16 edges.
Using Euler's formula, we see $F + V - E = 2$

$$\begin{aligned}
 F + V - E &= 2 \\
 \Rightarrow 9 + 9 - 16 &= 2 \\
 \Rightarrow 18 - 16 &= 2 \\
 \Rightarrow 2 &= 2 \\
 \Rightarrow \text{L.H.S.} &= \text{R.H.S.}
 \end{aligned}$$

Question 7:

Using Euler's formula, find the unknown:

Faces	?	5	20
Vertices	6	?	12
Edges	12	9	?

Answer 7:

In first column, $F = ?$, $V = 6$ and $E = 12$

Using Euler's formula, we see $F + V - E = 2$

$$F + V - E = 2$$

$$\Rightarrow F + 6 - 12 = 2$$

$$\Rightarrow F - 6 = 2$$

$$\Rightarrow F = 2 + 6 = 8$$

Hence there are 8 faces.

In second column, $F = 5$, $V = ?$ and $E = 9$

Using Euler's formula, we see $F + V - E = 2$

$$F + V - E = 2$$

$$\Rightarrow 5 + V - 9 = 2$$

$$\Rightarrow V - 4 = 2$$

$$\Rightarrow V = 2 + 4 = 6$$

Hence there are 6 vertices.

In third column, $F = 20$, $V = 12$ and $E = ?$

Using Euler's formula, we see $F + V - E = 2$

$$F + V - E = 2$$

$$\Rightarrow 20 + 12 - E = 2$$

$$\Rightarrow 32 - E = 2$$

$$\Rightarrow E = 32 - 2 = 30$$

Hence there are 30 edges.

Question 8:

Can a polyhedron have 10 faces, 20 edges and 15 vertices?

 **Answer 8:**

If $F = 10$, $V = 15$ and $E = 20$.

Then, we know Using Euler's formula, $F + V - E = 2$

$$\begin{aligned}\text{L.H.S.} &= F + V - E \\ &= 10 + 15 - 20 \\ &= 25 - 20 \\ &= 5\end{aligned}$$

$$\text{R.H.S.} = 2$$

\therefore L.H.S. \neq R.H.S.

Therefore, it does not follow Euler's formula.